

# Population Models for Disease Progress and Drug Action

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# Population Models for Disease Progress and Drug Action

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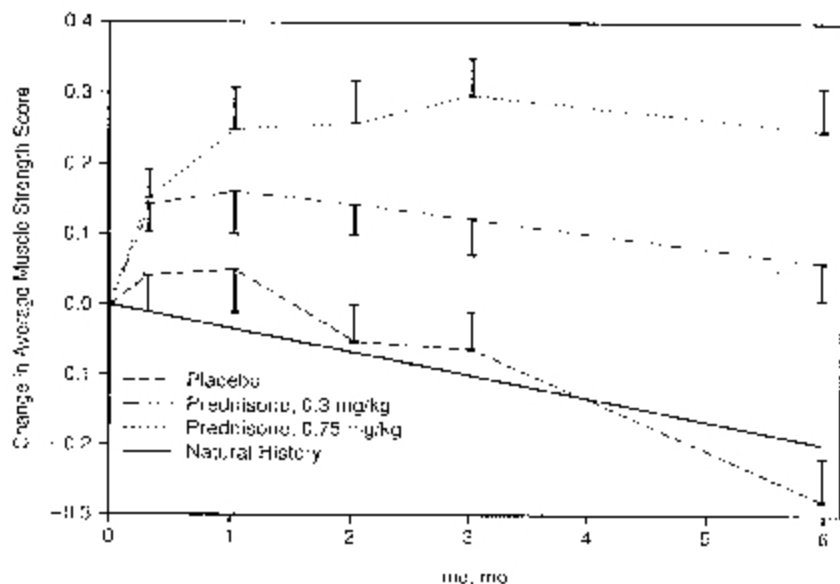
**Clinical Pharmacology**

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**Disease Progress** + **Drug Action**

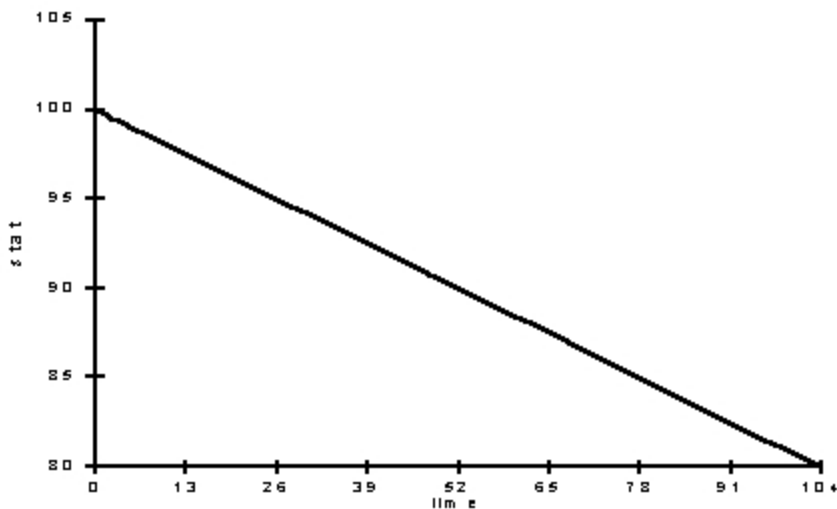
# Where do Disease Progress Models Come From?

- Talk to a Disease Specialist
- Look at pictures of time course of disease
- Translate into disease progress model
- Explain the models/parameters
- Ask Disease Specialist for advice on factors influencing parameters
- Translate into models of parameters



Griggs et al. Prednisone in Duchenne Dystrophy: A randomized, controlled trial defining the time course and dose response. Arch Neurol 1991;48:383-88.

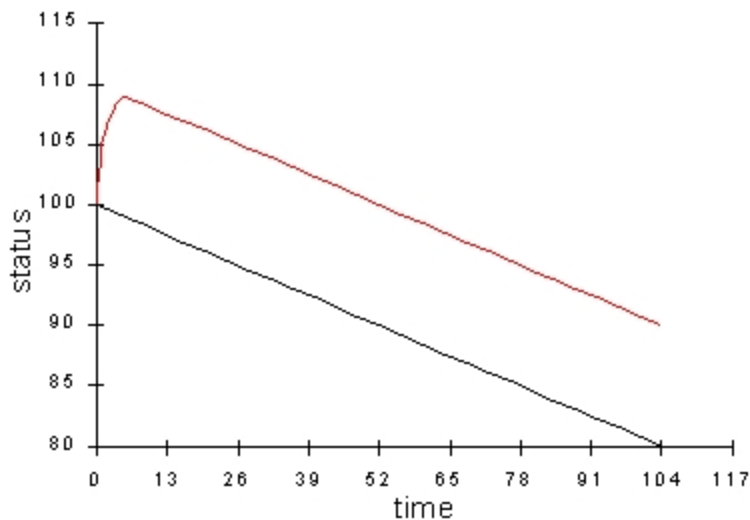
# Linear Disease Progress Model



$$S(t) = S_0 + \alpha \cdot t$$

# Linear Progress Model

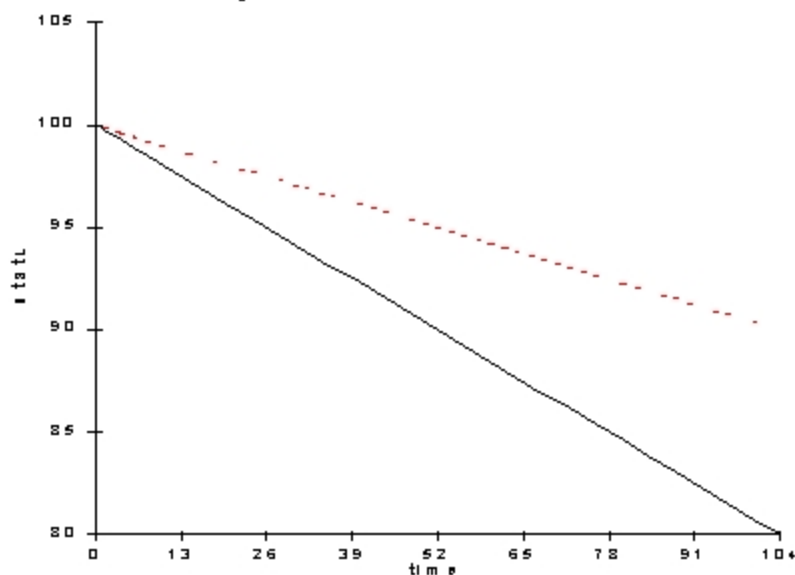
Intercept - Symptomatic Effect



$$S(t) = (S_0 + C_{e,A} \cdot \beta_{OFF}) + \alpha \cdot t$$

# Linear Progress Model

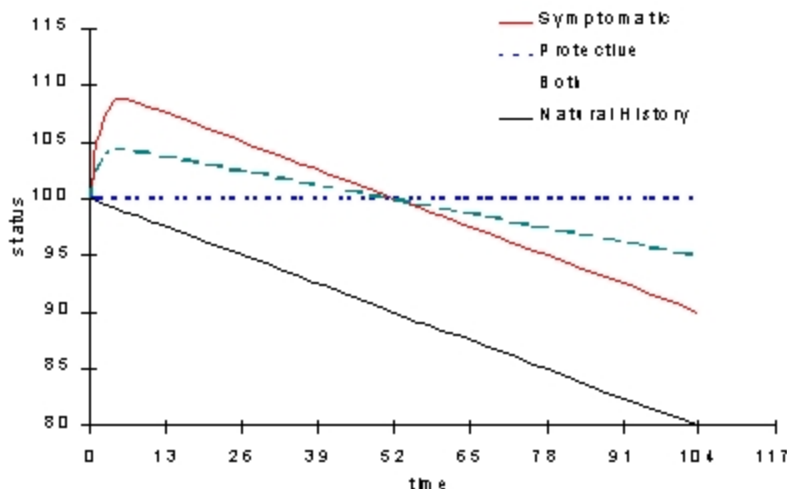
## Slope - Protective Effect



$$S(t) = S_0 + (C_{e,A} \bullet \beta_{SLOPE} + \alpha) \cdot t$$



# Combined Drug Action Models



$$S(t) = S_0 + E_{OFF}(C_{e,A}) + (E_{SLOPE}(C_{e,A}) + \alpha) \cdot t$$

# Asymptotic Progress Model

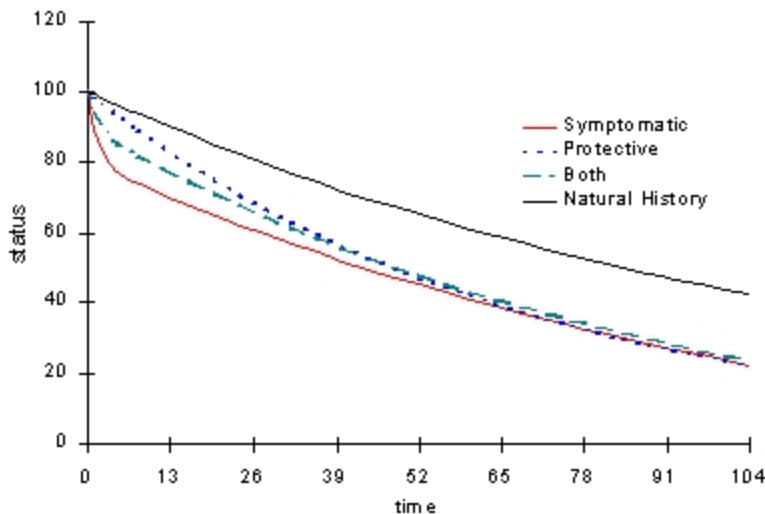
- Zero Asymptote ( $S_0$ , TP)
  - Spontaneous recovery

$$S(t) = S_0 \cdot e^{-\ln(2)/TP \cdot t}$$

- Non-Zero Asymptote ( $S_{ss}$ , TP)
  - Progression to “burnt out” state

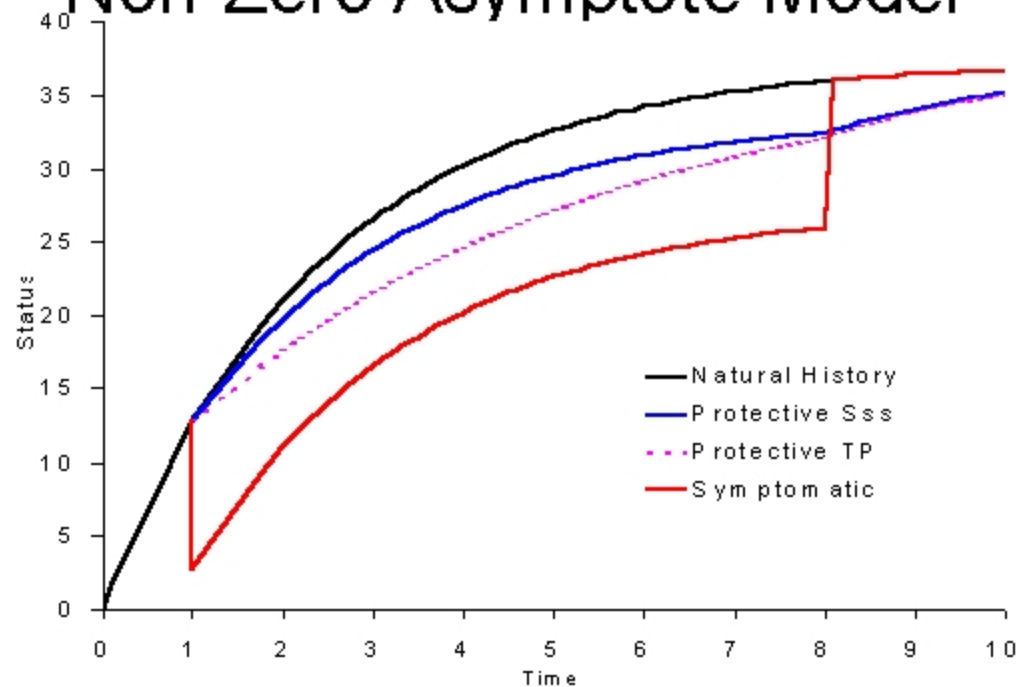
$$S(t) = S_{ss} \cdot \left(1 - e^{-\ln(2)/TP \cdot t}\right)$$

# Zero Asymptote Model



$$S(t) = E_{OFF}(C_{e,A}) + S_0 \bullet e^{-\ln(2)/(E_{TP}(C_{e,A})+TR_0) \bullet t}$$

# Non-Zero Asymptote Model



$$S(t) = E_{OFF}(C_{e,A}) + S_0 \cdot e^{-\lambda(2)(E_m(C_{e,A}) + TP_0)t} + (E_{SS}(C_{e,A}) + S_{SS,0}) \cdot \left(1 - e^{-\lambda(2)(E_m(C_{e,A}) + TP_0)t}\right)$$

# Disease Progress Models

- Alzheimer's Disease
  - Linear: Drug effect symptomatic
- Diabetic Neuropathy
  - Linear: Drug effect both?
- Osteoarthritis
  - Linear: Drug effect protective?
- Parkinson's Disease
  - Asymptotic: Drug effect both?